



Useful Formulae:

Quantity to calculate
$n! = n \times (n - 1) \times (n - 2) \times (n - 3) \times \dots \times 3 \times 2 \times 1$
$C = \frac{{}^n P_r}{r!}$
${}^n P_r = \frac{n!}{(n - r)!}$
<p>Ways of arranging n things made up of indistinguishable things, n₁ in the first group, n₂ in the second group is</p> $\frac{n!}{n_1! n_2! n_3! \dots}$
$P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$
$P(A) = \frac{\text{Number of elements in favourable outcome subset}}{\text{Number of elements in sample space set}}$
$P(E) + P(E') = 1$
<p>Permutation – order is important</p>
<p>Combination – order is not important</p>

Calculators may be used throughout the test.

Multiple Choice Section – Select Best Alternative.

- 1** In rolling a normal die, the probability that a prime number results is: **C**
- A $\frac{1}{6}$
B $\frac{2}{6}$
C $\frac{3}{6}$
D $\frac{4}{6}$
E $\frac{5}{6}$
- 2** The term which most closely represents a $\frac{7}{8}$ chance of something happening is: **B**
- A certain
B highly likely
C fair chance
D unlikely
E no chance
- 3** The number of possible results for selecting a student from a class of 12 boys and 15 girls is: **E**
- A 1
B 3
C 12
D 15
E 27
- 4** In a bag there are 4 yellow, 2 blue and 5 red marbles. The probability of selecting a blue marble is: **B**
- A 0
B $\frac{2}{11}$
C $\frac{2}{9}$
D 1
E $\frac{2}{2}$
- 5** The sample space for spinning a spinner that is divided into four equal parts of red, white, blue and black is: **C**
- A {4}
B {1}
C {red, white, blue, black}
D {red, white}
E {blue, black}
- 6** If I bought eight tickets in a raffle and the probability that I win is $\frac{8}{100}$, the total number of tickets sold in the raffle must be: **D**
- A $\frac{8}{100}$
B 1
C 8
D 100
E 108
- 7** The probability of selecting a green ball from a box is $\frac{2}{5}$. The probability of selecting any other colour is therefore: **B**
- A $\frac{2}{5}$
B $\frac{3}{5}$
C 1
D 2
E 5

- 8 On a roulette wheel there are 18 black numbers, 18 red numbers and 1 green number. On a random spin the probability of a black number not occurring is: **E**
- A $\frac{1}{37}$
- B $\frac{1}{36}$
- C $\frac{1}{18}$
- D $\frac{19}{36}$
- E $\frac{19}{37}$
- 9 If a successful event is considered to be selecting a picture card from a pack of cards, then the complement of this event would be: **A**
- A selecting a number card
- B selecting an ace
- C selecting a diamond
- D selecting a picture or a number card
- E selecting a red card
- 10 If a successful event has a probability of $\frac{1}{4}$, then its complement must have a probability of: **B**
- A $\frac{1}{4}$
- B $\frac{3}{4}$
- C 1
- D 3
- E 4
- 11 Two dice are tossed. The probability of obtaining a 2 or a multiple of 3 or both is: **Note: This question is poorly worded - IGNORE** **E?**
- A $\frac{1}{4}$
- B $\frac{11}{36}$
- C $\frac{2}{3}$
- D $\frac{5}{9}$
- E $\frac{3}{4}$
- 12 Three coins are tossed. The probability of obtaining at least one tail is: **E**
- A $\frac{1}{8}$
- B $\frac{1}{4}$
- C $\frac{1}{2}$
- D $\frac{3}{4}$
- E $\frac{7}{8}$
- 13 In a group of 16 athletes, 8 play netball, 10 play hockey and 3 play both. The probability of playing neither netball nor hockey is: **B**
- A 0
- B $\frac{1}{16}$
- C $\frac{1}{8}$
- D $\frac{3}{16}$
- E $\frac{1}{4}$

- 14** If card is randomly drawn from a pack of 52 playing cards, then the probability that it is either a black ace or a red 'picture' card is: **C**
- A $\frac{4}{13}$
 B $\frac{1}{13}$
 C $\frac{2}{13}$
 D $\frac{7}{26}$
 E $\frac{5}{26}$
- 15** If a roulette wheel is numbered from 0 to 36 inclusive, the chance of the moving ball landing in a compartment numbered 13 to 24 inclusive is: **B**
- A $\frac{1}{3}$
 B $\frac{12}{37}$
 C $\frac{11}{36}$
 D $\frac{11}{37}$
 E $\frac{11}{35}$
- 16** There are 17 horses in the Melbourne cup race. How many ways 1st, 2nd and 3rd positions be filled? **D**
- A ${}^{17}C_3$
 B $\frac{17!}{3!}$
 C $17!$
 D ${}^{17}P_3$
 E 3
- 17** In my suitcase I have packed 3 pairs of shoes, 4 suits, 6 shirts and 5 ties. How many different combinations of outfits can I wear if I must wear one of each item. **B**
- A 72
 B 360
 C 480
 D 240
 E 310
- 18** How many different ways can the letters in the word 'FERRARI' be arranged? **D**
- A $7!$
 B $5!$
 C $7!3!$
 D $\frac{7!}{3!}$
 E $\frac{5!}{3!}$
- 19** How many different arrangements of the word 'FERRARI' are possible if the letters 'R' in the word must stay together? **A**
- A $5!$
 B $6!$
 C $5!3!$
 D $\frac{5!}{3!}$
 E $\frac{6!}{3!}$
- 20** Debating teams consisting of 4 members are to be chosen from a group of 15 students. How many different teams could be organised? **C**
- A $15!$
 B ${}^{15}C_{11}$
 C ${}^{15}C_4$
 D ${}^{15}P_4$
 E ${}^{15}P_{11}$

- 21** Jillian is renovating her bathroom and she gives the tiler 7 tiles identical except for their different colours (3 red, 2 white and 2 black). She asks the tiler to show her all the possible combinations if the tiles are placed in a row and the red tiles must stay together. How many combinations will he have to form?
- A $7!$
B $\frac{5!}{2! \times 2!}$
C $\frac{7!}{3! \times 2! \times 2!}$
D $\frac{5!}{3! \times 2! \times 2!}$
E $5!$

- 22** What number is in the 6th position in the 10th row of Pascal's triangle?
- A 252
B 120
C ${}^{10}C_7$
D 210
E ${}^{10}P_6$

- 23** The 4th term in the binomial expansion of $(x - 2a)^8$ is:
- A $-448 x^5 a^3$
B $1120 x^4 a^4$
C $-1792 x^3 a^5$
D $448 x^5 a^3$
E $-1120 x^4 a^4$

- 24** Kay and Hing play three games of golf. The probability that Hing wins any game is 0.8. The probability that Hing wins only two games is:
- A 0.032
B 0.128
C 0.256
D 0.384
E 0.512